



# 3-Way Comparison between AIRS, ECMWF and GPS Temperatures in Upper Troposphere and Stratosphere

Tom Yunck, Eric Fetzer, Anthony Mannucci, Chi Ao, Bill Irion, Brian Wilson and Gerald Manipon

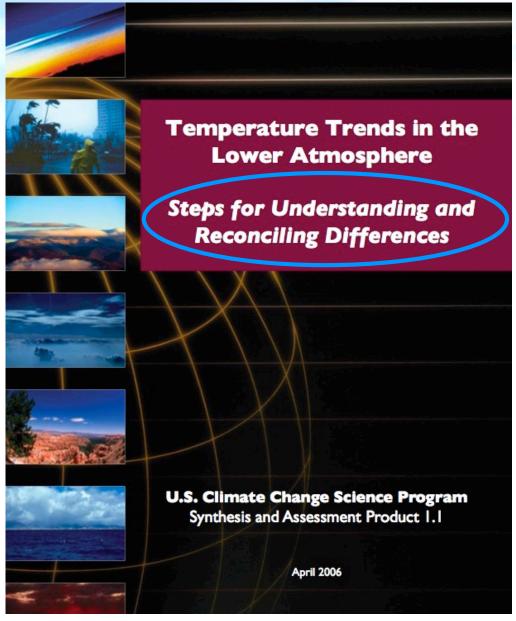
Jet Propulsion Laboratory California Institute of Technology

AIRS Science Meeting Pasadena, CA

29 March 2007













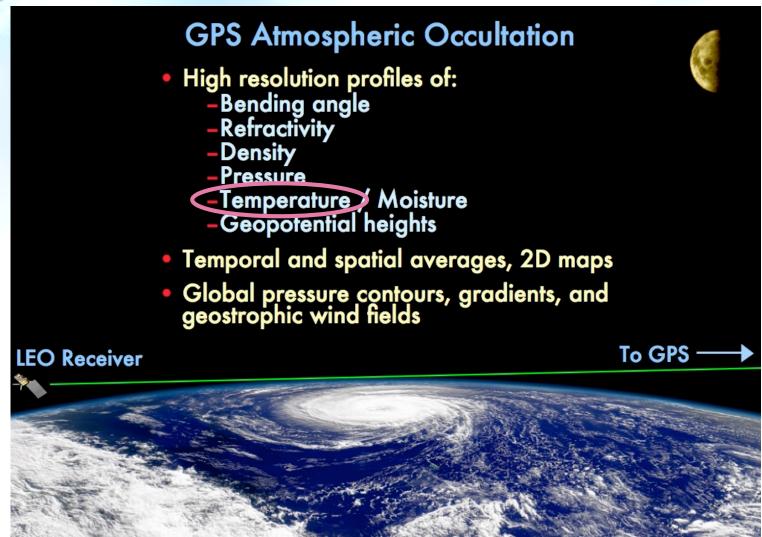
#### Some Key Points

- Adjustments to data are generally subjective and can be large compared to the actual trend.
- Reported trends vary considerably between groups *using the same data* owing to differing adjustment methods.
- Most *models* predict greater warming in the troposphere; most *observations* show greater warming at the surface. *The likely cause is errors in the tropospheric observations*.
- Recent adjustments have brought satellite observations into closer agreement with models.
- "Satellite observations tend to be bias-corrected to the model." (*Healy & Thépault*, 2006) [ECMWF]





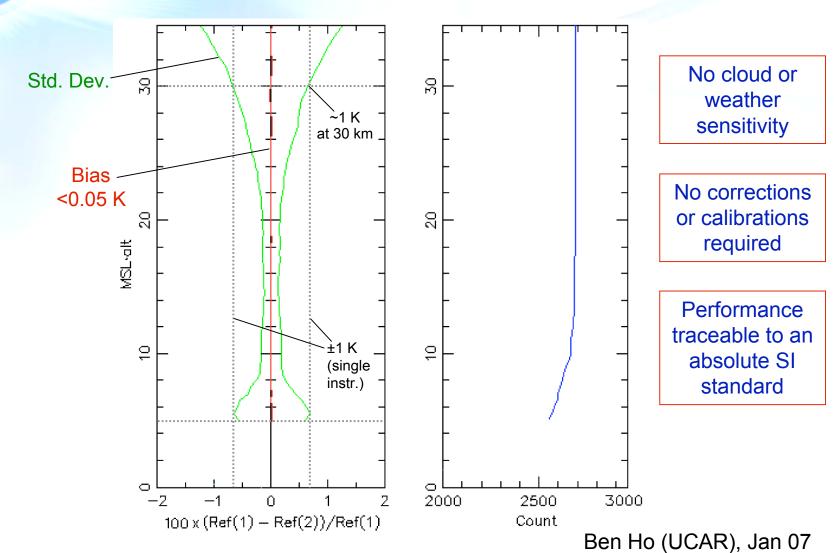
#### One Approach







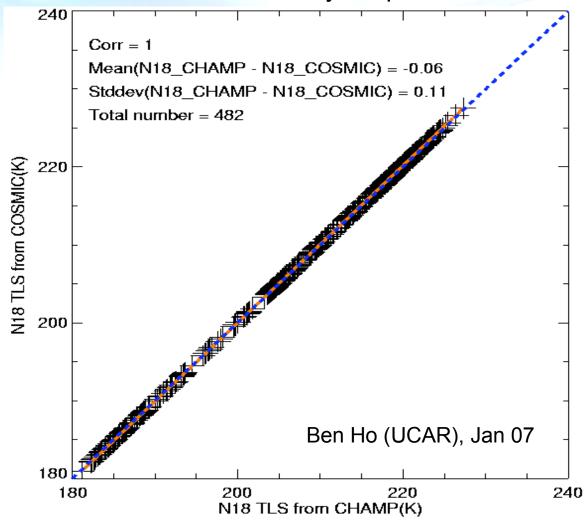
#### **GPS-GPS** Comparison Stats from COSMIC







# TLS Comparison with GPS Sensors Launched 6 yrs Apart



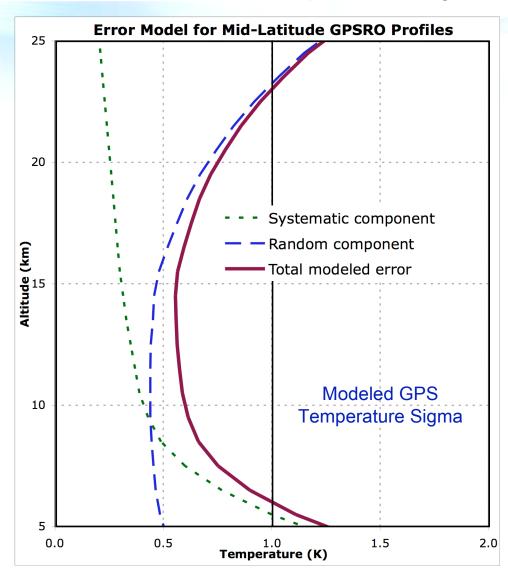
N18 TLS est. from COSMIC v. N18 AMSU TLS est. from CHAMP

6





#### Modeled GPSRO Temperature Sigma





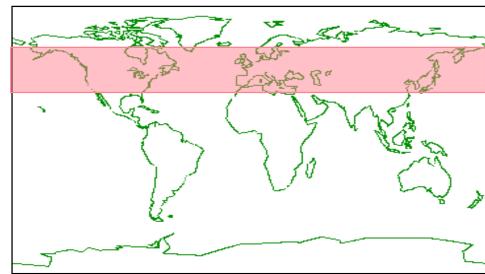




### Controlled Three-Way Comparison:

- AIRS-ECMWF-GPS temperatures
- Common set of 3-way match-ups
- For all of 2003 (Champ, SAC-C)

ECMWF "Sweet Spot"



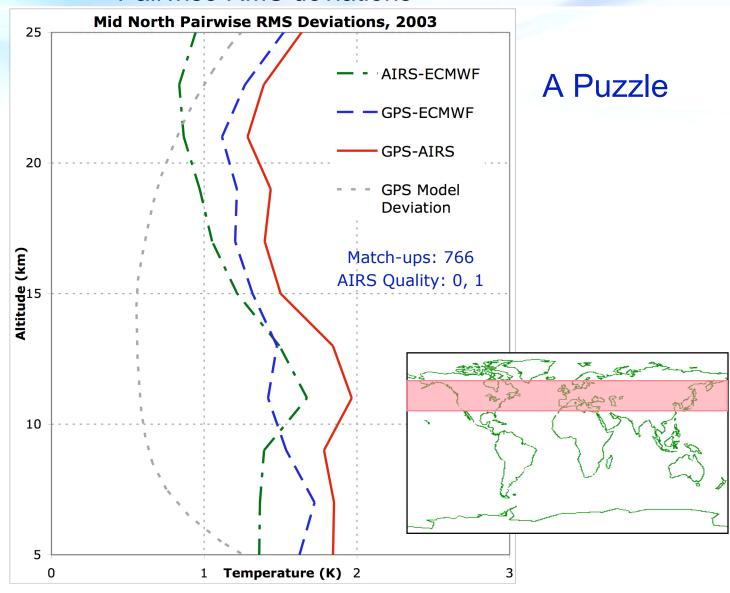
First comparisons: 30°-60° North ("Mid North")

Match-up criteria: <200 km, <2 hrs apart





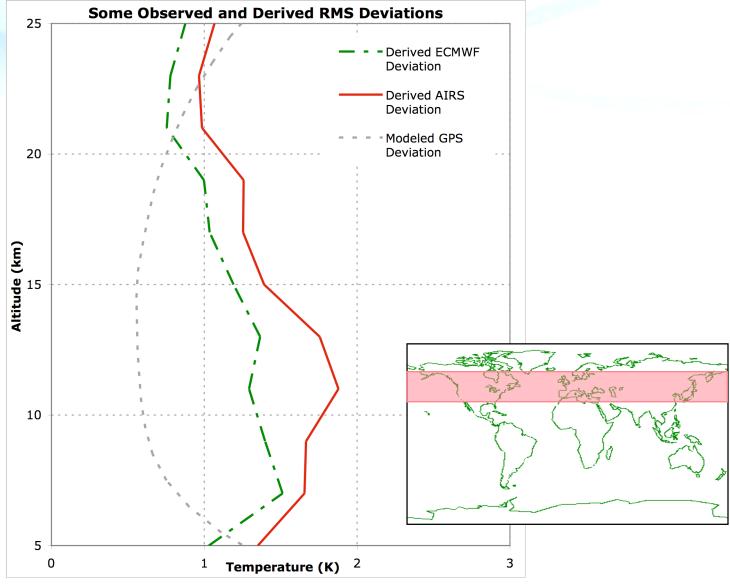
#### Pairwise RMS deviations







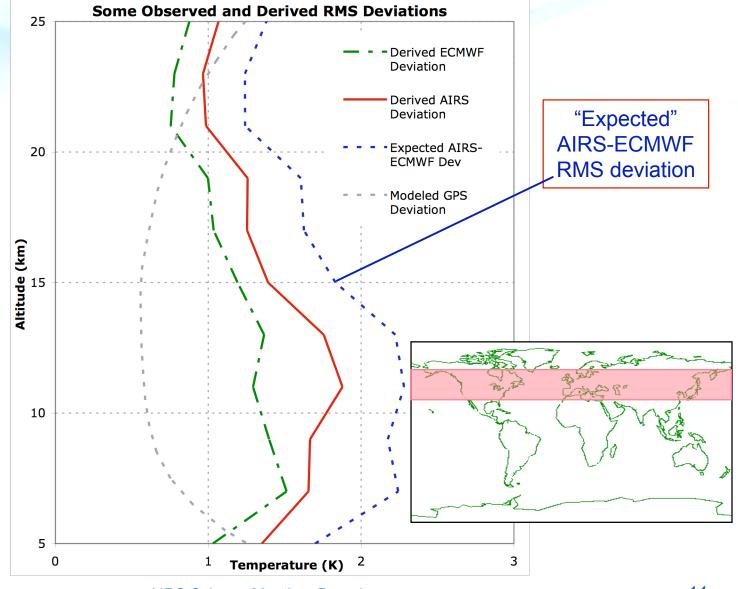
#### Derived AIRS & ECMWF RMS deviations







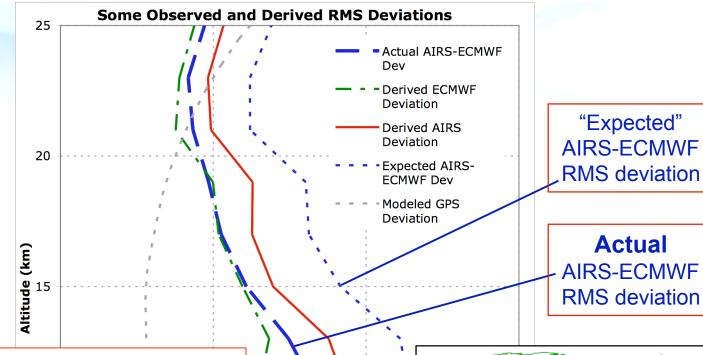
#### Derived AIRS & ECMWF RMS deviations



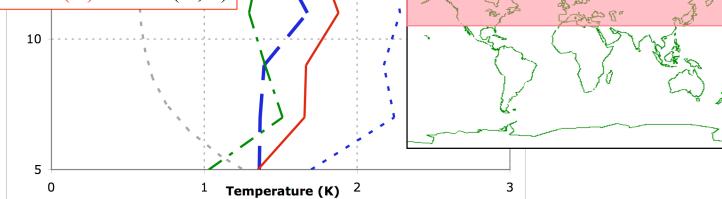




#### Derived AIRS & ECMWF RMS deviations







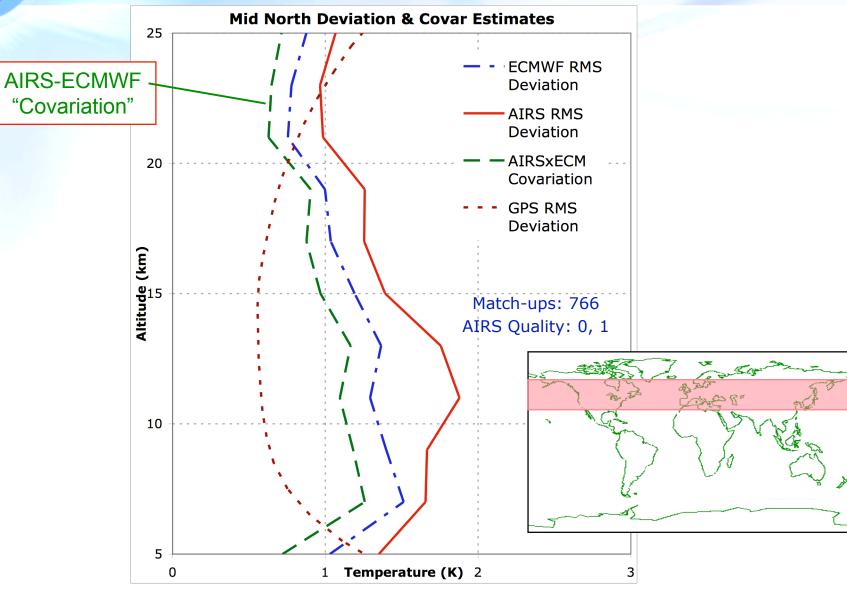
29 March 2007

AIRS Science Meeting, Pasadena





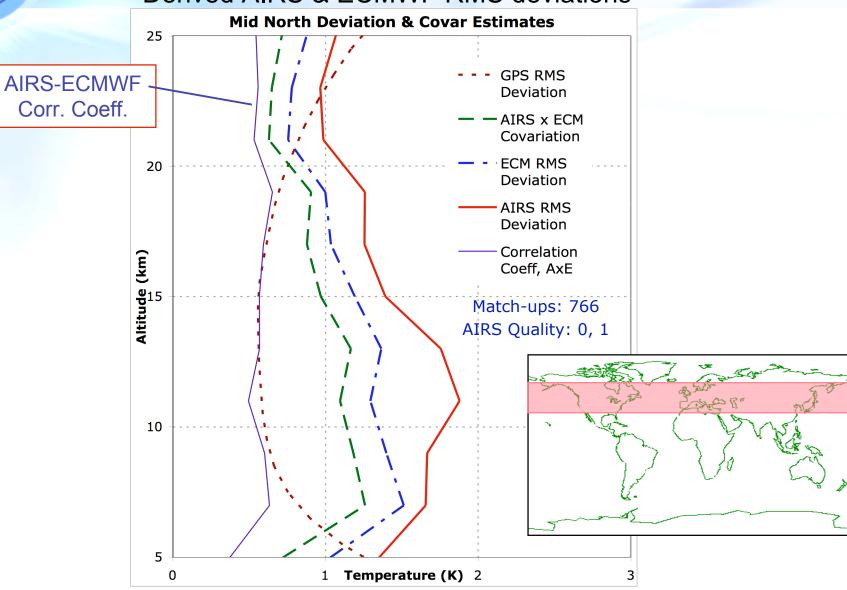












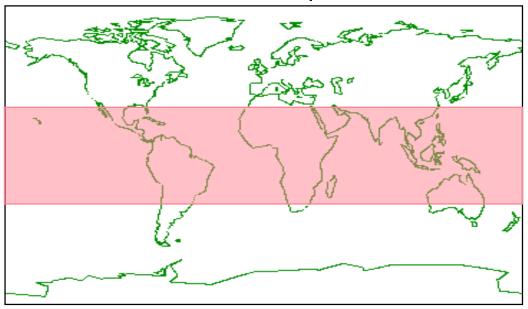




#### How else can we examine this question?

# Compare regional performance variations, where a particular technique is known to vary in a particular way

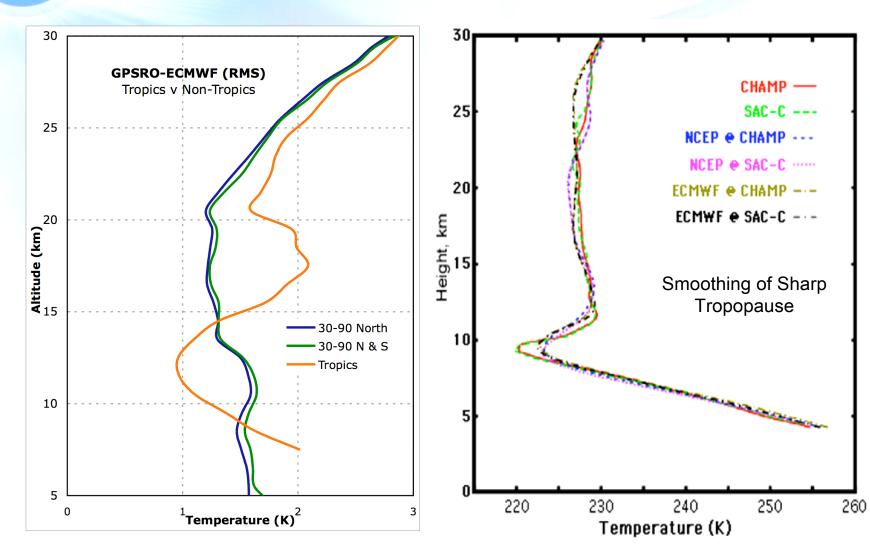
#### I – The Tropics







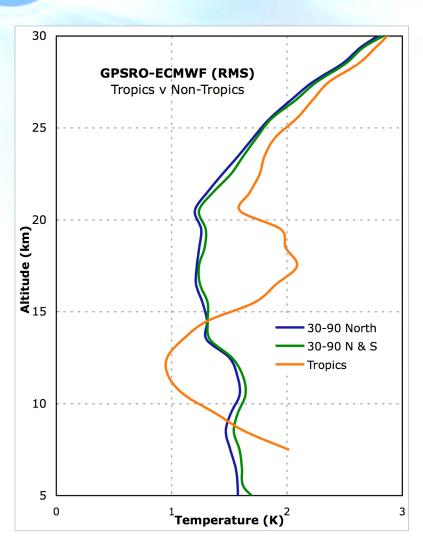
#### ECMWF-GPS RMS Deviations, 2003

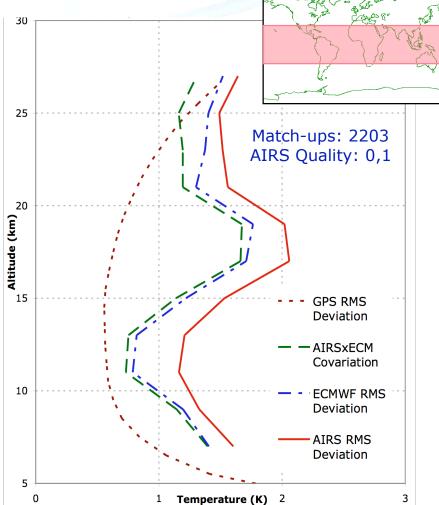






#### ECMWF-GPS RMS Deviations and Means, 2003



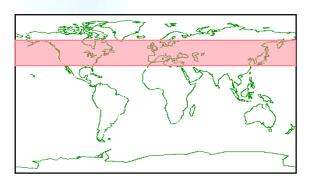


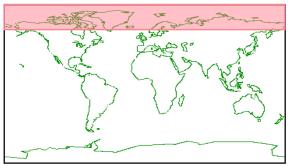


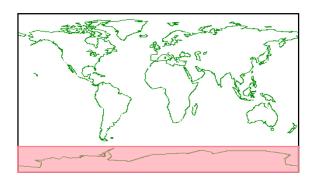


#### Regional Performance Variations – II

#### **Vertical Bias Patterns**







Mid North

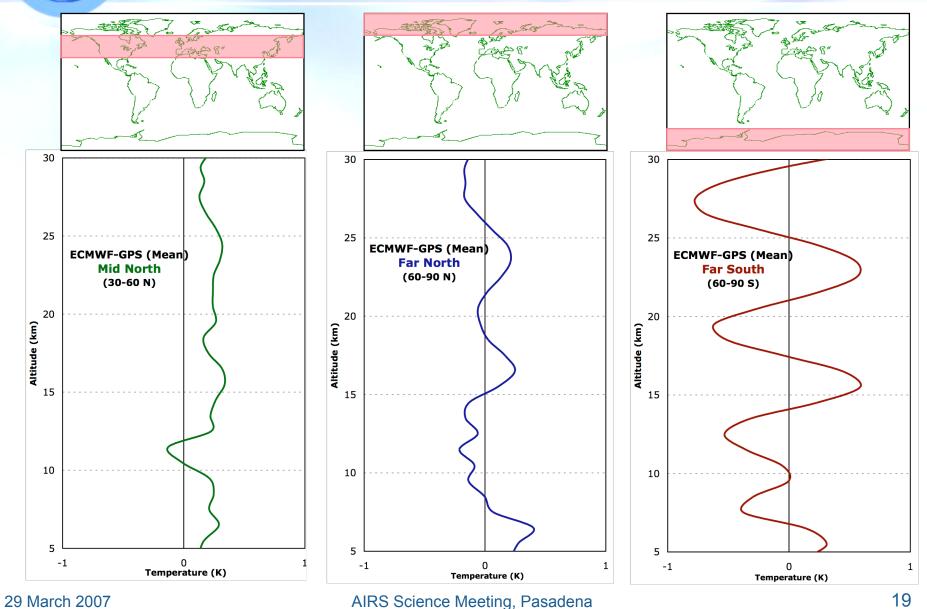
Far North

Far South





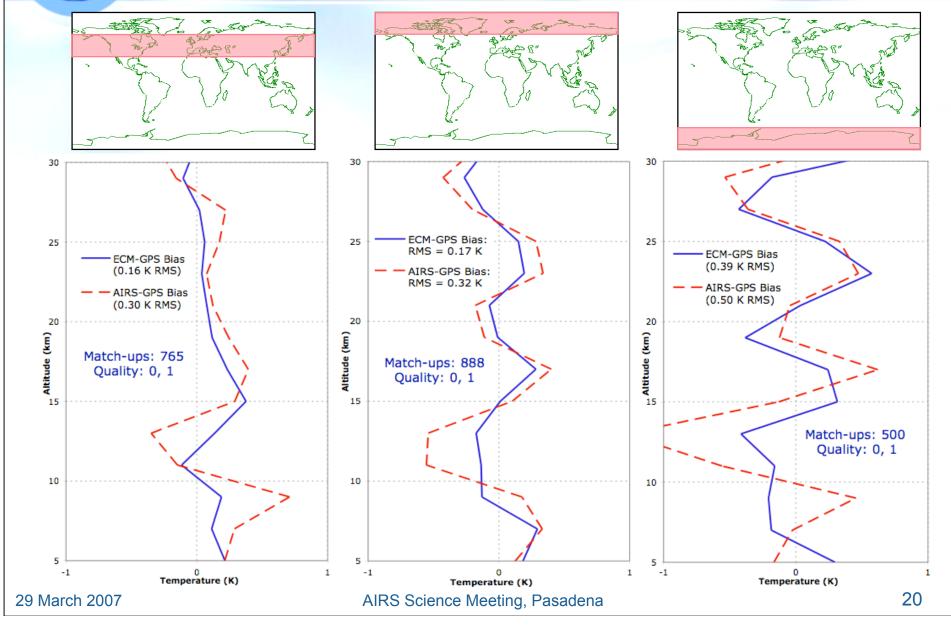
#### ECMWF-GPS Means, All GPS, 2003







#### ECMWF & AIRS Means vs GPS, All 2003







#### Conclusion

# **IF** our GPSRO error model is accurate, then:

3-way comparisons show significant correlation between AIRS and ECMWF temperature errors.

#### Caveat:

We should adopt actual AIRS smoothing functions to ensure we are comparing like quantities.

#### Next:

Repeat the analysis with AIRS V5 and COSMIC data and true AIRS smoothing functions.

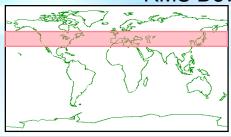


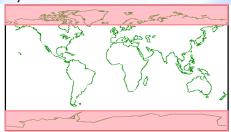


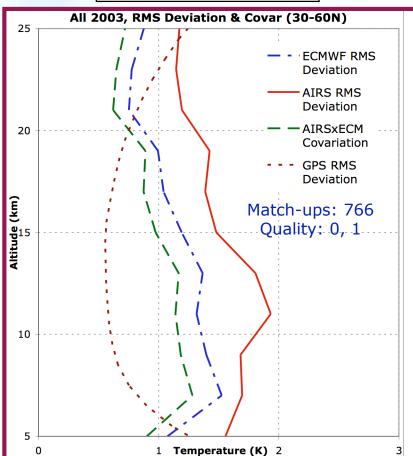
# Backups

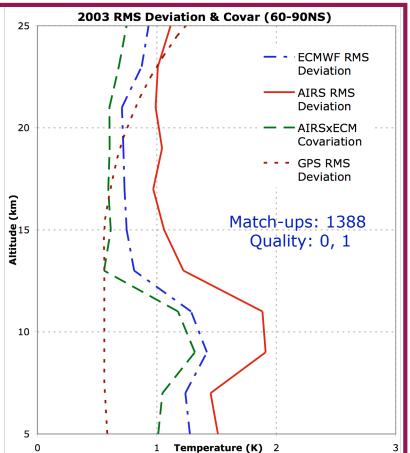


#### RMS Deviations & Covariation, All 2003





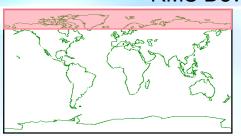


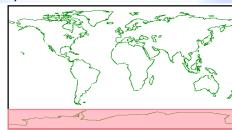


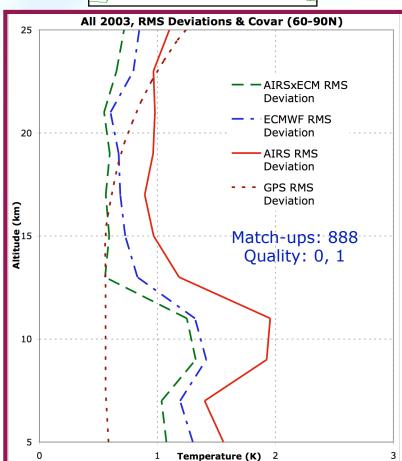


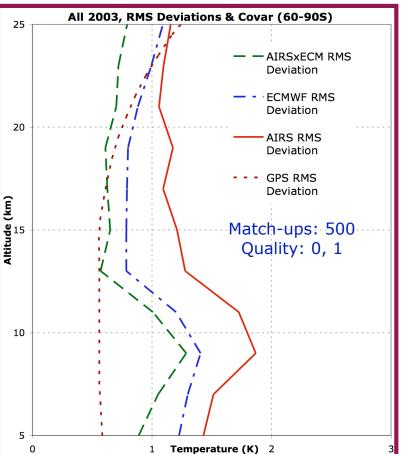


#### RMS Deviations & Covariation, All 2003





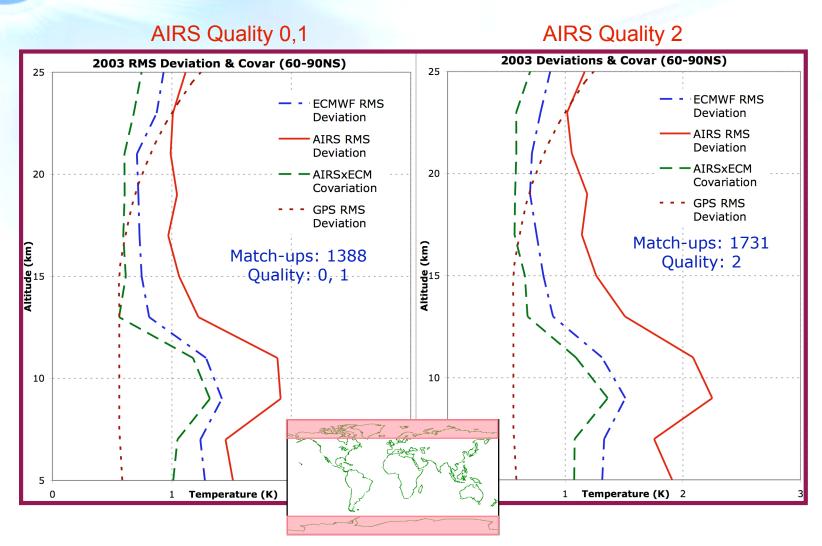








#### RMS Deviations & Covariation, All 2003







## Simple Analysis

Measurement error = bias (b) + zero mean random error (e):

$$M_e = b + e$$

Measurement difference  $M_1$  -  $M_2$  is therefore:

$$M_{1,2} = b_1 - b_2 + e_1 - e_2$$
  
=  $b_{1,2} + e_1 - e_2$ 

The mean (expected) squared (MS) difference is therefore:

$$MS_{1,2} = b_{1,2}^2 + \sigma_1^2 + \sigma_2^2$$

(assuming e<sub>1</sub> and e<sub>2</sub> uncorrelated)





Or:

$$MS_{1,2} - b_{1,2}^2 = \sigma_1^2 + \sigma_2^2$$

(i.e., Var = MS - square of the mean)

#### For the three-way comparison we have:

(1) 
$$MS_{1,2} - b_{1,2}^2 = \sigma_1^2 + \sigma_2^2$$

(2) 
$$MS_{2,3} - b_{2,3}^2 = \sigma_2^2 + \sigma_3^2$$

(1) 
$$MS_{1,2} - b_{1,2}^2 = \sigma_1^2 + \sigma_2^2$$
  
(2)  $MS_{2,3} - b_{2,3}^2 = \sigma_1^2 + \sigma_2^2 + \sigma_3^2$   
(3)  $MS_{1,3} - b_{1,3}^2 = \sigma_1^2 + \sigma_3^2$ 





#### What this means:

Measurement difference  $M_1$  -  $M_2$  is:

$$M_{1,2} = b_{1,2} + e_1 - e_2$$

The mean squared (MS) difference is:

$$MS_{1,2} = b_{1,2}^2 + \sigma_1^2 + \sigma_2^2 - 2E[e_1e_2]$$

(assuming e<sub>1</sub> and e<sub>2</sub> uncorrelated)





#### **Revised Analysis**

For the three-way comparison we now have:

(1) 
$$MS_{E,A} - b_{E,A}^2 = \sigma_E^2 + \sigma_A^2 - 2\gamma_{E,A}^2$$
  
(2)  $MS_{A,G} - b_{A,G}^2 - \sigma_G^2 = \sigma_A^2$   
(3)  $MS_{E,G} - b_{E,G}^2 - \sigma_G^2 = \sigma_E^2$ 

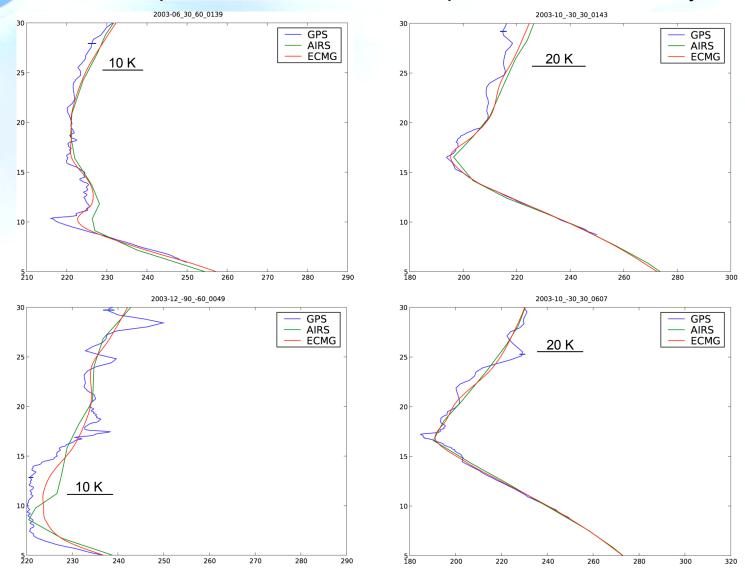
(2) 
$$MS_{A,G} - b_{A,G}^2 - \sigma_G^2 = \sigma_A^2$$

(3) 
$$MS_{E,G} - b_{E,G}^2 - \sigma_G^2 = \sigma_E^2$$





#### Examples of AIRS-ECMWF Temperature Error Similarity







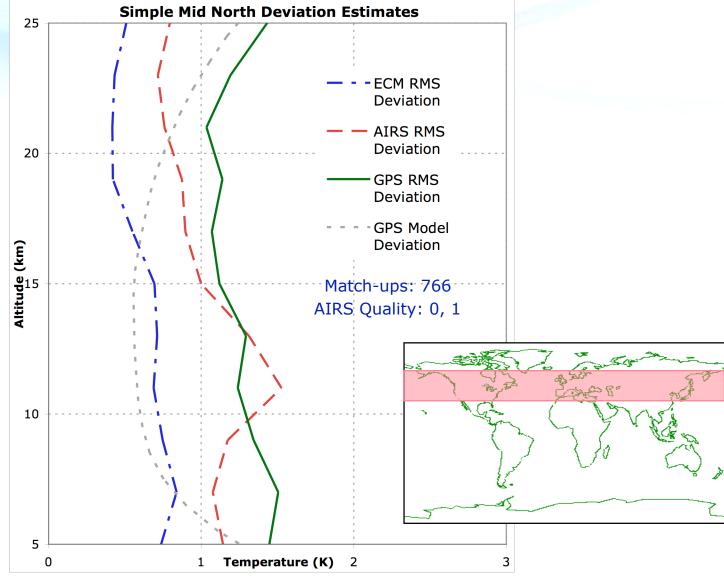
#### Working Hypothesis

- 1. AIRS "first guess" temperatures, *trained on ECMWF model*, closely reproduce location-dependent ECMWF bias characteristics.
- 2. Where temperature gradients are small, AIRS retrieval information is weak and departures from the first guess are small.
- 3. This leads to significant correlation in location-dependent biases.
- 4. Where temperature gradients are steep (near the tropopause), AIRS retrievals are allowed to depart more from the a priori, reducing the AIRS-ECMWF correlation.





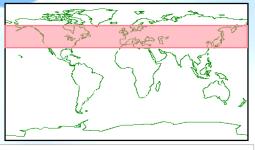


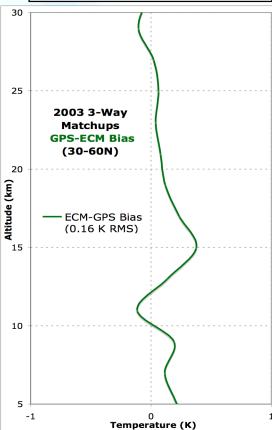


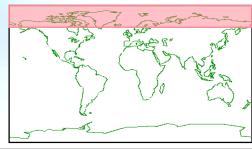


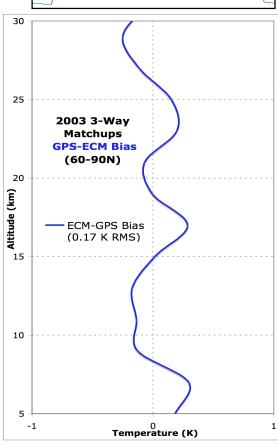


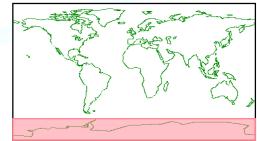
#### ECMWF-GPS Means, 3-Way Matchups, 2003

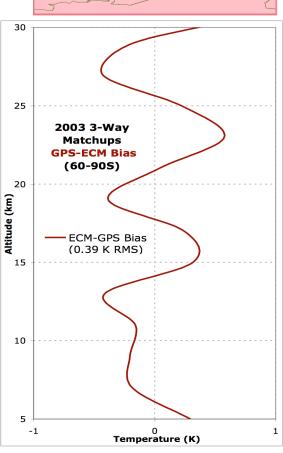












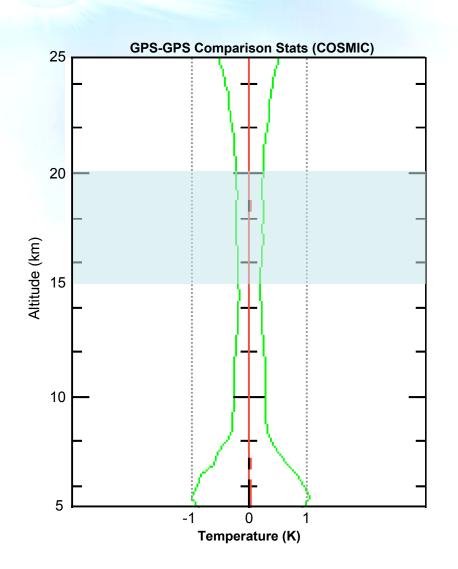
29 March 2007

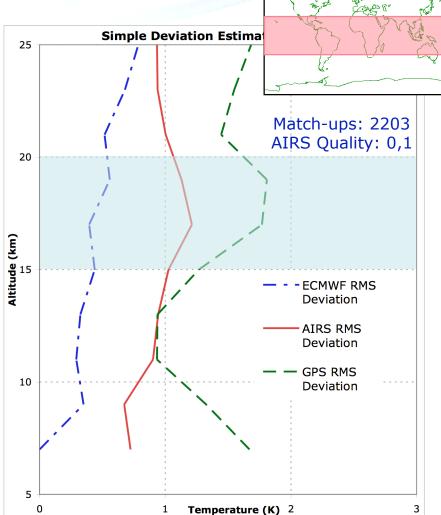
AIRS Science Meeting, Pasadena





#### **Smoothing of Sharp Tropopause**









35



